



OFF-ROAD VEHICLE SEAT VIBRATION CONTROL WITH SELF- TUNING PID CONTROLLER

Tejbir Kaur¹ and Harbhinder Singh²

¹ Department of Mechanical Engineering, PEC University of Technology, Chandigarh.

² Department of Mechanical Engineering, UIET, Punjab University, Chandigarh.

ABSTRACT

In general, in off road vehicles a seat suspension system is not used to control the vibrations which are induced from the road surface irregularities. The vibrations from road irregularities bypass the suspension system are transferred to seat and then to human body. Such vibrations, if not controlled causes the back pain and other spine related problems over the course of time. Use of a suspension seat is a common way to isolate the vehicle operator from the adverse effects of vibration exposure. In this research, semi active PID control of seat suspension with MR dampers is discussed. The proposed controlled quarter vehicle model is compared with uncontrolled system using simulation work under different type of road excitation. Results obtained by simulation work shows the effectiveness of PID controlled suspension system in improving the ride comfort and safety of driver compared to uncontrolled suspension system.

Key words: *PID, Matlab, Semi-Active Seat, MR damper.*

INTRODUCTION

SUSPENSION system has to fulfil conflicting multiple tasks related to passenger ride comfort, controlling the suspension deflection within designed limits as well as to enhance and provide road holding capability to travelling vehicles. Depending on the effectiveness and performance delivering behaviour of the vehicle system, a suspension system can be categorized into three types generally known as passive or uncontrolled, semi-active and active. Normally, passive suspension system is assembled with uncontrollable shock absorber having no feedback control and represents cost effective technology. However, optimum ride comfort and related requirements cannot be achieved in a desired way due to uncontrollable damping force generation nature of shock absorber thus limiting its performance within certain frequency range as well as under changing vehicle travelling conditions. While active suspension system technology can provide best results in a wider frequency range when the problems related to ride comfort, safety of vehicle and working of suspension system are considered due to assembly of mechatronics based devices such as sensors and actuators.

Off-road vehicle causes severe vibrations which are usually of low frequency ranging below 5 Hz as are driven and work on gravel or rough surfaces. Vibrations at low excitation frequencies (0.5–5 Hz) are the main risk factors for lumbago or backache, which seriously affects mental and physical health and reduces the work efficiency of drivers and passengers [1–5].

Hence, such vibrations require isolation. One way to lessen the adverse effects of vehicle vibration to the operator is through the use of a seat suspension system. Suspension seats are included in most off-road vehicles and are passive in nature. Moreover, during operation, these vehicles are subjected to significant energy in the 2 to 4 Hz region where conventional seats tend to amplify vertical vibration. A common method used to reduce vehicle operators' exposure to vehicle vibration is to design the natural frequency of the seat suspension so that it is considerably lower than the typical operating frequency generated by the vehicle. However, a large decrease in seat stiffness ("softer" or lower spring rate) is required to achieve this.

Researchers have introduced several methods, such as the active, semi active, and nonlinear seat suspensions, to isolate low-frequency vibrations from off-road vehicles. Maciejewski studied the active vibration control strategy based on the reverse dynamics of a force actuator and a primary controller. Primary controller settings were calculated via multicriteria optimization, which subsequently defined vibration isolation characteristics of active suspension. Sun et al. investigated the problem of H_∞ control for active seat suspension systems via dynamic output feedback control. Stein et al. studied the seat vertical suspension system of a locomotive driver using an adjustable damper. Choi et al. studied a semi active seat suspension using an electrorheological fluid damper. Bouazara et al. studied the safety and comfort of a 3D vehicle model with optimal nonlinear active seat suspension and found that the comfort performance of a suspension seat with semi active and active dampers could be considerably enhanced by 20–30%. Active and semi active seat suspensions possess complicated structures and require outside energy. By contrast, nonlinear seat suspensions do not require outside energy and exhibit simple structures. Le and Ahn designed and fabricated a vibration isolation model to improve vibration. According to the isolation theory the isolation system should have a lower natural frequency if the excitation frequency is low. The natural frequency formula is $\sqrt{k/m}$, where the body mass m of the driver is constant, while stiffness k should be small. A small system natural frequency may be obtained, but the static deformation of the system is large. A four-fold decrease in seat stiffness is necessary to reduce the natural frequency by 50%. Doing this however, now increases the likelihood that the suspension system will "bottom out."

Moreover, a high vehicle torque requirement also contributes to vibration at the operator deck. Passive seat suspension design includes selecting an appropriate natural frequency and optimization of damping according to a set stiffness. The consequence is a trade-off between isolation of vibration peak amplitudes at resonance and isolation of higher frequency vibrations. The potential benefit of a semi-active system is the removal of this trade-off since the system is designed to adjust the damping in real time.

In present research, for tracing the experimental results of MR damper, polynomial model is selected. PID control strategy is used in present paper for semi-active control of quarter vehicle model having three degrees of freedom. The effectiveness of the presented semi-active quarter vehicle system in controlling the seat vibrations taking into account is evaluated using simulation work in time domain while the vehicle travels over the bump type of input road profile. Simulation results are presented in graphical form and mathematical form which shows that the designed semi-active vehicle system with MR Bouc-Wen damper model provide much better performance in terms of passenger ride comfort and safety compared to uncontrolled or passive suspension system.

2. MR DAMPER

MR damper typically consists of a piston rod, electromagnet, accumulator, bearing, seal, and damper cylinder filled with MR fluid as shown in Fig. 1. The magnetic field generated by the electromagnet changes the characteristics of the MR fluid, which consists of small magnetic particles in a non-conducting (magnetically inert) fluid base. Consequently, the strength of the electromagnet's input current determines the physical characteristics of the MR dampers. The damper used in this research is the Lord RD-1005-3. Continuously variable damping is controlled by the increase in yield strength of the MR fluid in response to magnetic field strength. In this damper, MR fluid flows from a high pressure chamber to a low pressure chamber through an orifice in the piston head. The damper is 209 mm long in its extended position, and the main cylinder is 38 mm in diameter. The main cylinder houses the piston, the magnetic circuit, an accumulator, and 50 ml of MR fluid.

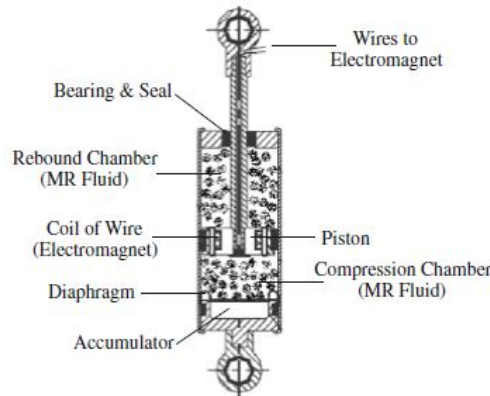


Fig 1. MR fluid damper

The damper has a 752 mm stroke. The magnetic field, which is perpendicular to the fluid flow, is generated by a small electromagnet in the piston head. The concept of MR damper operation is based on the MR effect which involves quick changes in viscosity of an MR fluid under the action of magnetic field (Rainbow, 1948). In this study, we employ an MR damper operating in the flow mode, which means that the produced damping force is controlled by the flow resistance of the MR fluid portion contained in the gap (Jolly *et al.*, 1999). A schematic diagram of the MR damper is depicted in Fig. 1.

3. MATHEMATICAL FORMULATION OF A QUARTER- TRACTOR MODEL

To derive an equation of (vertical) motion of a vehicle induced by terrain irregularities, we consider a quarter tractor model by assuming that terrain roughness is evenly distributed under all wheels of a vehicle and loading from the whole vehicle body is equally distributed across all of its axles. In addition, we consider that a tire has small damping effect. With these preconditions, we draw the next physical model (Figure 2 & 3) of the system for passively and semi-actively controlled systems of a quarter-tractor model. a) Passive suspension design b) Semi-active suspension design

Most of the agricultural tractors in India do not have a suspension system. Between body of tractor and road there is only tires of tractor which damp out vibrations induced from road surface according to their stiffness. But in between driver seat and body of tractor, spring or spring and damper system is there to damp the vibrations. Quarter model of an agricultural tractor is shown in figure 2.

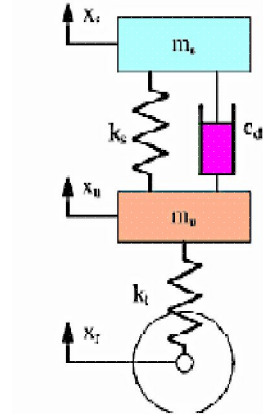


Fig2. Passive suspension system

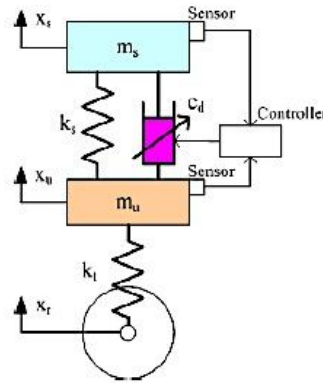


Fig3. Semi-active suspension system

From the passive and semi-active suspension designs of quarter-tractor model shown in Figure 2 and Figure 3, the equation of motion of the two mass bodies which are un-sprung mass (m_u) (i.e. half of axle mass and one wheel) and sprung mass (m_s) (i.e seat mass) are :

(a) Passive system

$$\begin{aligned} m_s \ddot{x}_s + c_d(\dot{x}_s - \dot{x}_u) + k_s(x_s - x_u) &= 0 \\ m_u \ddot{x}_u + c_d(\dot{x}_u - \dot{x}_s) + k_s(x_u - x_s) + k_t x_u &= k_t x_t \end{aligned} \quad \text{-----(1)}$$

(b) Semi active system

$$\begin{aligned} m_s \ddot{x}_s + c_d(\dot{x}_s - \dot{x}_u) + k_s(x_s - x_u) &= U_c \\ m_u \ddot{x}_u + c_d(\dot{x}_u - \dot{x}_s) + k_s(x_u - x_s) + k_t x_u &= -U_c + k_t x_t \end{aligned} \quad \text{_____ (2)}$$

Where x_s , \dot{x}_s and \ddot{x}_s are displacement, velocity and acceleration of the sprung seat mass respectively; x_u , \dot{x}_u and \ddot{x}_u are displacement, velocity and acceleration of the un-sprung mass (half of axle mass and one wheel), respectively; c_d is the damping coefficients of seat suspension ; k_s and k_t are stiffness of seat suspension and tire; x_r is the terrain roughness (disturbance displacement); U_c is the force generated by the controller that takes into account terrain irregularities r , that is the vertical displacement, the function of time and dependent of the vehicle speed. In the model (2), U_c is the control force exerted by the controller. Our objective is to design such a controllable damper, capable of generating such control force U_c that responds to profile irregularities adequately by providing comfort ride. For the controller model of the damper, we apply Bouc-Wen hysteresis effect model, and design numerical simulation model in MATLAB/Simulink. Mathematical formulations and simulation models of this model is expressed in the following section with respect to a tractor seat suspension system.

4. SIMULATION MODELS OF THE BOUC-WEN MR DAMPERS AND PID CONTROLLER

The MR damper with the Bouc-Wen model is composed of stiffness (spring) element, passive damper and Bouc-Wen hysteresis loop elements. The schematic representation of the Bouc-Wen model of the MR damper is depicted by the next schematic view – Figure 4.

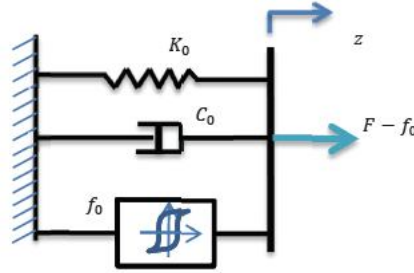


Fig4. Schematic diagram of Bouc - Wen model of MR damper

The hysteresis loop has an internal variable γ that represents hysteretic behaviour and satisfies the next expression (3). The model equation of the Bouc-Wen model [13, 14] is expressed by the following.

$$\dot{y} = -\gamma|\dot{z}|y|y|^{n-1} - \beta z|y|^n + A\dot{z} \quad \text{-----} \quad (3)$$

Where y is the evolutionary variable that can vary from a sinusoidal to a quasi-rectangular function of the time depending on the parameters γ, β and A .

The force exerted by the MR damper is the function of the relative displacement and velocity, and the parameter α defined by the control voltage u and is given by

$$F_{mr} = C_0(u)\dot{z} + K_0z + \alpha(u)y + f_0 \quad \text{-----} \quad (4)$$

In the model K_0 is the stiffness of the spring element of the MR damper and the values of the parameters (coefficients) $C_0(u)$ and $\alpha(u)$ have a linear relationship with the control voltage u and determine the influence of the model on the final force F_{mr} . The force f_0 takes into account pre-yield stress of the damper. The values of the parameters (coefficients) $C_0(u)$ and $\alpha(u)$ are determined from the following expressions:

$$C_0(u) = C_{0a} + C_{0b}u, \alpha(u) = \alpha_{0a} + \alpha_{0b}u \quad \text{-----} \quad (5)$$

The best-fit parameter values of these parameters are determined by fitting to the experimentally measured response of the system.

The simulation model of the system from Bouc-Wen model shown in Figure 5 is built in Simulink by using the equations (3), (4) and (5). The simulation model has two input sources $x(t)$ displacement and $\dot{x}(t)$ velocity of the seat mass of the system, and two output signals for control force F_{mr} going to the seat mass (m_s) with (-) sign and the unsprung mass (m_u) with the (+) sign. In this research, $\dot{x}(t)$ is equal to \dot{x}_t and F_{mr} is equal to U_c in equation (2).

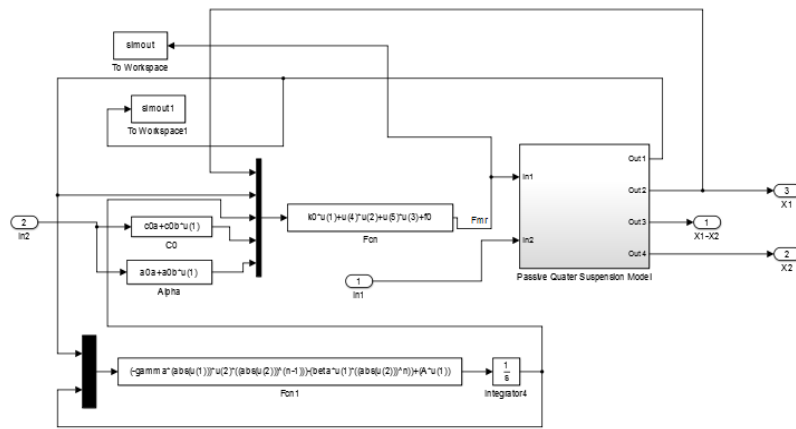


Fig5. Bouc-Wen model

PID controller has proved to be remarkably effective in controlling a wide range of processes. The use of PID controller does not require an exact process model and hence it is effective in controlling processes whose models are difficult to derive. Moreover, PID controllers are based on linear control theory and are much easier to understand, so they can be implemented very easily. Ziegler and Nichols method to tune the coefficients of a PID controller became the focus of research and became better understood, but cannot guarantee to be always effective. For this reason, this paper investigates the design of self-tuning for a PID controller. The transfer function of the PID controller given as:

$$k(s) = k_p + \frac{k_i}{s} + k_d s \quad (6)$$

Where, k_p is proportional gain, k_i is the integral gain, k_d is the derivative gain.

Figure 6 illustrates the matlab/Simulink model of semi active suspension system with PID controller. The proportional, integral and derivative terms are summed to calculate the output of PID controller.

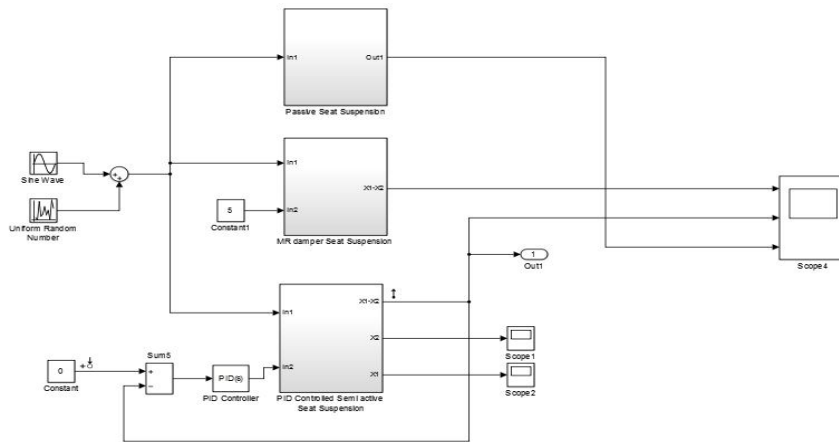


Fig 6. Passively controlled system vs MR damper controlled vs PID Controlled subsystem model

The final output defined by $u(t)$ is given by

$$u(t) = k_p e(t) + k_i \int_0^t e(x) dx + k_d \frac{de(t)}{dt} \quad (7)$$

Where, e is the error present in the controller, t is the time or instantaneous time, and x is the variable of integration, taken from zero to present one. E

Simulation Results and Discussion

Selected parameters for simulation work of quarter tractor model with seat three-degrees-of-freedom with symbols and values are listed in Table 1. Random and sine wave of road input excitation, responses of the secondary suspension system having passenger seat using passive and semi-active suspension system are shown in Fig. 7 while the calculate RMS and Peak values are tabulated in Table 1.

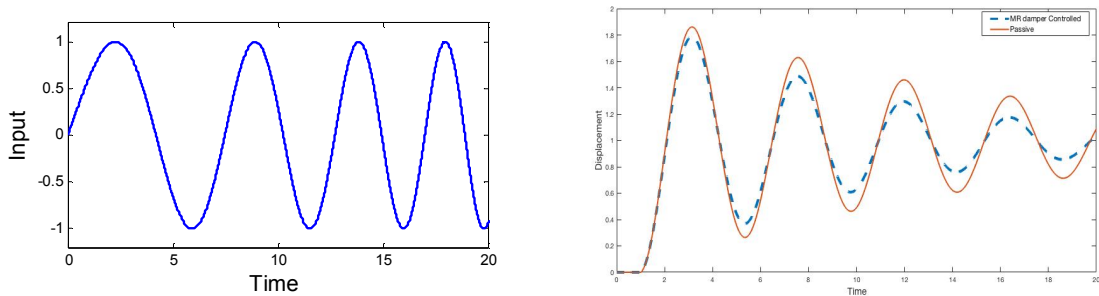
Table1: Parameters of quarter tractor model

Driver seat mass, m_s	75 [kg]
Unsprung mass, m_u	2800[kg]
Seat suspension damping, c_d	130 [N/m/s]
Seat suspension stiffness, k_s	8,000 [N/m]
Tire stiffness, k_t	90,000 [N/m]

Table2: Data for Bouc-Wen model for simulation

Parameter of hysteresis shape; γ	1,0,1.5,2
β, A, n	300 [N/m]
Stiffness of spring element, K_0	5 [V]
Input voltage, u	4400,442,10872,49616
Other parameters; $c_{0a}, c_{0b}, \alpha_{0a}, \alpha_{0b}$	0 [N]
Pre-yield stress, f_0	

From Figs. 7 (b)-(e), it can be seen that controlled semiactive suspension system integrated with MR damper and PID controller successfully suppresses the effects of vibrations as transmitted from unsprung mass to passenger seat resulting into improved performance related to passenger seat acceleration (\ddot{x}_s), passenger seat displacement (x_s) and secondary suspension system deflection ($x_s - x_u$) compared to the uncontrolled or passive suspension system showing the advantages of using MR damper in semi-active suspension systems for vibration control system applications when passenger ride comfort and safety issues are taken into account.



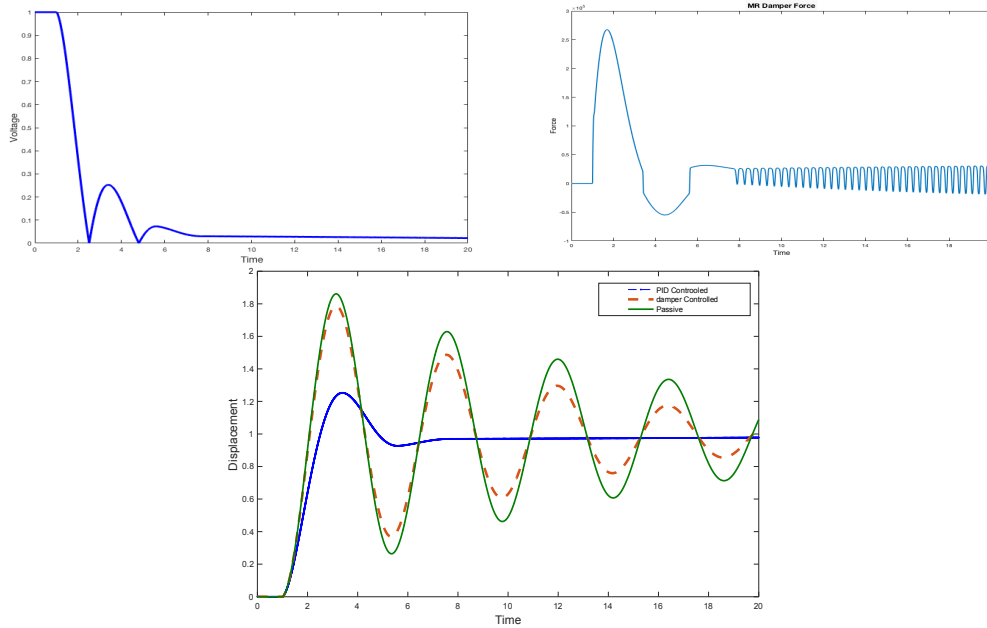


Fig.7 Time history plots of seat response under step road excitation with vehicle speed 8 km/hr (a) random road excitation (b) seat displacement (passive vs MR damper) (c) supplied voltage (d) desired damping force (e) seat displacement (uncontrolled vs PID controlled)

CONCLUSION

In present paper, passenger ride comfort issues has been studied through simulation work using quarter car model with three degrees of freedom by taking acceleration and displacement factors into account. It has been observed that semi-active vehicle system integrated with MR damper provides better performance in terms of controlling vibration effects on driver when different parameters such as passenger mass and road height are considered for simulation purpose. The designed PID controller can be successfully implemented for proper working of assembled MR damper. Finally, it can be concluded that semi-active suspension system provides much better performance compared to passive suspension system for passenger ride comfort and safety in travelling vehicles.

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