



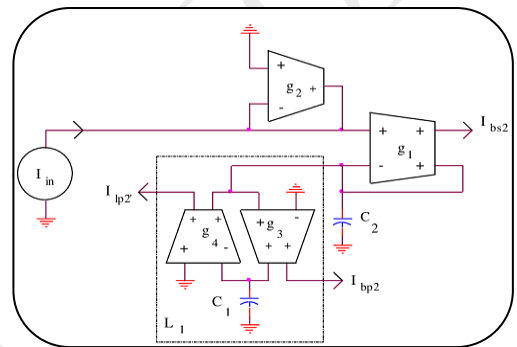
## BAND -PASS RESPONSE OF SECOND ORDER CURRENT-MODE FILTER FOR Q =10

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### ABSTRACT

A new electronically tunable current-mode second order filter is proposed in this paper. OP-AMP is used as an active building block. With current input the transfer function derived for proposed filter circuit realizes low pass response. The other attractive features of the filter are 1) Employment of minimum active and passive elements 2) Responses are electronically tunable 3) Low active and passive sensitivities 4) Suitable for high frequency operation 5) Ideal for integrated circuit implementation 5) The circuit performance is close to ideal requirement for  $5 \leq f_0 \leq 20$  kHz.



**3. CIRCUIT ANALYSIS AND DESIGN EQUATIONS:**

Transfer function of the circuit for band pass  $T_{BP}$  is calculated as,

$$T_{BP} = \frac{g_2\beta_1\beta_2k_1k_2S}{(g_0+g_1+g_2+g_{1b}k_1)S^2+(g_1\beta_1)k_1S+g_2\beta_1\beta_2(1-k_1)k_2} \tag{1}$$

Where,

$$k_1 = \frac{g_{1a}}{g_{1a}+g_{1b}}$$

$$k_2 = \frac{g_{2a}}{g_{2a}+g_{2b}}$$

The circuit was designed using coefficient matching technique i.e. by comparing these transfer functions with general second order transfer functions is given by,

$$T(S) = \frac{\alpha_2S^2+\alpha_1S+\alpha_0}{S^2+\frac{\omega_0}{Q}S+\omega_0^2} \tag{2}$$

Comparing equations (1) with (2), we get,

$$\frac{\omega_0}{Q} = (g_1\beta_1)k_1$$

$$\omega_0^2 = g_2\beta_1\beta_2(1 - k_1)k_2$$

$$g_0 + g_1 + g_2 + g_{1b}k_1 = 1$$

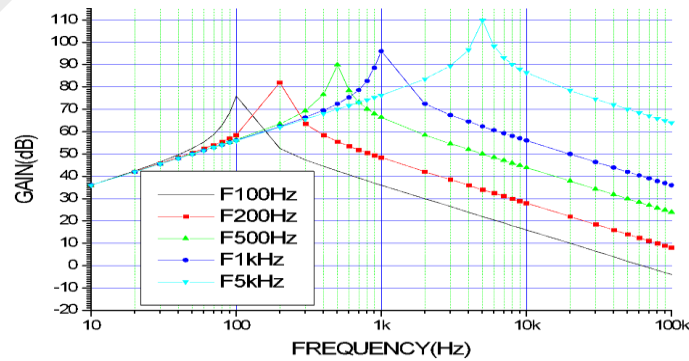
But,

$$g_{1b}k_1 \ll 1$$

Therefore  $g_0 + g_1 + g_2 = 1$

Using these equations, the values of  $g_0$ ,  $g_1$  and  $g_2$  are calculated for different values of merit factor Q and frequency  $f_0$ .

**4. BANDPASS RESPONSE FOR CIRCUIT MERIT FACTOR Q = 10**



**Fig 2: Band-pass response for Q =10**

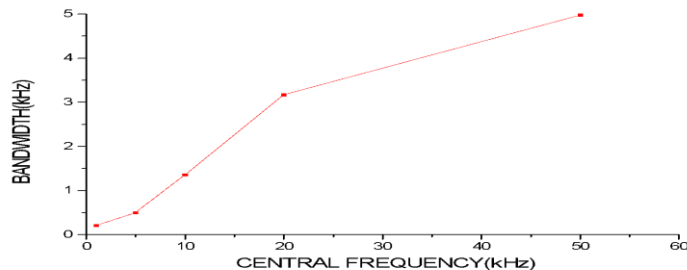


Figure 3: Variation of bandwidth with central frequency

Second Order Current-Mode Filter								
Band-pass response for Q = 10								
F <sub>0</sub> ( Hz )	Max. Pass Band Gain (dB)	f <sub>1</sub> ( Hz )	f <sub>2</sub> ( Hz )	Band-width ( Hz )	Gain Roll-off in stop band			
					Leading Part		Trailing Part	
					dB/Octave	Octave Starting at ( Hz )	dB/Octave	Octave Starting at ( Hz )
100	76	96.2	109.3	13.1	8.2	50	7.8	200
					-	-	5.8	10
200	81.9	183	213	30	7.9	100	8.5	400
					-	-	6.1	20K
500	89.9	476	522	46	13	400	10.7	700
					6.3	100	5.9	20K
1k	95.9	955	1090	135	9.1	600	8	2k
					6.3	100	6.1	20K
5k	110	4.77k	5.22k	0.45k	8.9	3k	8.1	10k
					6.0	200	6.0	30K

5. RESULT AND DISCUSSION:

The circuit performance is studied for different values of Central frequencies with circuit merit factor Q = 10. The general operating range of this filter is 10 Hz to 1MHz. The value of  $\beta_1 = \beta_2 = 2\pi (6.392) \times 10^6$  [rad/sec] for LF 356 N. The filter response is studied for Central frequencies f<sub>0</sub> = 1 kHz, 5 kHz, 10 kHz, 20 kHz , 50 kHz and 70 kHz.

f <sub>0</sub> (kHz)	R <sub>0</sub> (Ω )	R <sub>1</sub> (Ω )	R <sub>2</sub> (Ω )
1	1	5.2k	260k
5	1	1.3k	10.4k
10	1	633	2586
20	1	420	647
50	1	6020	103

Table (2): Resistor values for Q =10

It is found that the filter circuit responds for central frequencies f<sub>0</sub> ≤ 5 kHz. Sharp peak is seen in each response. Peak occurs at the designed frequency in every response. The magnitude of peak gain i.e. the maximum pass band gain increases with increase in central frequency. For instance, maximum pass band gain is 76 dB for f<sub>0</sub> =100Hz. It is 90 dB for f<sub>0</sub> =500Hz and becomes 110 dB for f<sub>0</sub> =5000Hz.

-3 dB bandwidth for  $f_0=100\text{Hz}$  is 13.1 Hz and for  $f_0=500\text{Hz}$ , bandwidth of filter circuit is 46 Hz. Bandwidth has maximum value of 450 Hz for  $f_0=5000\text{Hz}$ . This shows that this filter works excellent for very narrow bandwidth for  $f_0 \leq 5 \text{ kHz}$ .

The pass band distribution of frequency is more symmetric for  $1 \text{ kHz} \leq f_0 \leq 5 \text{ kHz}$ . The gain roll-off per octave in leading and trailing part of response is different near pass band whereas it is almost the same away from pass band. For example, the gain roll-off per octave in leading part of curve for  $f_0=500\text{Hz}$  is 13 dB/octave for octave starting at 400 kHz and in trailing part; it is 10 dB/octave for octave starting at 700 kHz. For  $f_0=5000\text{Hz}$ , the gain roll-off per octave is 6 dB/octave in leading as well as trailing part at far end of stop band. As the bandwidth is narrower, the filter is more selective for  $f_0 \leq 1 \text{ kHz}$ .

## 6. SENSITIVITIES:

Equations of the  $\omega_0$  and Q Sensitivities of the transfer function with respect to the parameters  $k_1, k_2, \beta_1, \beta_2, g_0, g_1$  and  $g_2$  are as follows.

### $\omega_0$ Sensitivities:

$$S_{K_1}^{\omega_0} = S_{K_2}^{\omega_0} = \frac{1}{2}$$

$$S_{g_0}^{\omega_0} = -\frac{1}{2} \left( \frac{g_0}{g_0 + g_1 + g_2} \right)$$

$$S_{g_1}^{\omega_0} = -\frac{1}{2} \left( \frac{g_1}{g_0 + g_1 + g_2} \right)$$

$$S_{g_2}^{\omega_0} = \frac{1}{2} \left( \frac{g_0 + g_1}{g_0 + g_1 + g_2} \right)$$

### Q Sensitivities

$$S_{K_1}^Q = -\frac{1}{2}, \quad S_{K_2}^Q = \frac{1}{2}$$

$$S_{g_0}^Q = -\frac{1}{2} \left( \frac{g_0}{g_0 + g_1 + g_2} \right)$$

$$S_{g_1}^Q = -\frac{1}{2} \left( \frac{g_1}{g_1 + g_2} \right) \quad S_{g_2}^Q = \frac{(g_0 + g_1)}{2(g_0 + g_1 + g_2)}$$

### $\beta$ Sensitivities:

$$S_{\beta_1}^{\omega_0} = S_{\beta_2}^{\omega_0} = \frac{1}{2}$$

$$S_{\beta_1}^Q = -\frac{1}{2}$$

$$S_{\beta_2}^Q = \frac{1}{2}$$

## 7. CONCLUDING REMARKS:

A realization of current-mode second order feed forward filter has been proposed. The Filter is built with two internally compensated op-amps. Low sinusoidal current is applied at the inverting terminal of first op-amp through voltage divider. The input signal is fed forward to the inverting terminal of second op-amp. Bandwidth increases from 13 Hz to 435Hz with  $f_0$  for  $Q=10$ . The curves are symmetric about the peak which occurs at the designed central frequencies. The filter designed has low active and passive sensitivities less than unity. The circuit performance is close to ideal requirement for  $5 \leq f_0 \leq 20$  kHz.

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